

# Macro-prudential Policy in a Fisherian Model of Financial Innovation

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# US Financial Crisis: Facts and Policy Response

- Deep **financial innovation** since mid 90s:
  - New securities and trading technology
  - New regulatory and legal regime
- **Credit boom: 97-06:**
  - Household net debt: 35 to 70% of GDP
  - Residential land value: 50 to 75% of GDP
  - Leverage ratio: 64% to 93%
- Widespread view about key role of **irrational exuberance** & **systemic risk**: → Calls for **macroprudential regulation**

# Research Questions

- How does the interaction between optimistic beliefs, financial innovation and financial frictions contribute to the dynamics of credit booms and crashes?
- What are the implications of this interaction for the effectiveness of macro-prudential policy?
- What role does the structure and/or asymmetry of beliefs about stability of a new financial regime play?

→ Need of a unified framework to answer these questions

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## What we do

- Analyze role of macro-prudential policy in a Neo-Fisherian model:
  - Financial innovation triggers optimism about credit conditions causing increases in asset prices and leverage
  - Sudden financial shock triggers fire-sales and deleveraging
- Compare decentralized equilibrium with learning with financially efficient planner:
  - Planner internalizes that increase in leverage leads to feedback loop between asset prices and financial constraints. Therefore, it borrows less during the credit boom and experiences milder credit crunch
- Study effects of asymmetry of beliefs between agents and regulators

## Some Related Literature

- **Optimism in credit cycles:** (Shiller (2005), Reinhart and Rogoff (2008), Gorton (2008), Geanakoplos (2009), Fostel-Geanakoplos (2008), Cao (2010) ,Gennaioli-Shleifer-Vishny (2011), Boz-Mendoza (2010), Simsek (2010))
- **Macroprudential policy:** (Caballero-Krishnamurthy (2003), Lorenzoni (2007), Bianchi (2011), Stein (2011), Bianchi-Mendoza (2010), Korinek (2010), Jeanne-Korinek (2010), Benigno et al. (2010), Woodford (2011))
- **Generic Inefficiency Incomplete Markets:** (Stiglitz (1983), Geanakoplos-Polemarchakis(1986), Geanakoplos-Magill-Quinzii (1990))

Our Contribution: Develop DSGE framework to study interaction between credit frictions, optimism and macro-prudential policy

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## Model Features

- Off-the-shelf asset pricing model with incomplete markets & asset in fixed supply
- Small open economy populated by identical households (or partial eq. model of collateralized household debt (e.g. mortgages))
- Households borrow in a one-period non-state contingent bond
- Collateral constraint limits debt to fraction of market value of land
- Fin. innovation increases debt limit but also introduces risk of regime switching



## Model

Each of a continuum of identical households solve:

$$\max_{b_{t+1}, k_{t+1}, c_{t+1}} E_0^s \left[ \sum_{t=0}^{\infty} \beta^t \frac{c_t^{1-\sigma}}{1-\sigma} \right]$$

subject to the budget constraint:

$$q_t k_{t+1} + c_t + \frac{b_{t+1}}{R} = q_t k_t + b_t + \varepsilon_t f(k_t)$$

and a collateral constraint:

$$-\frac{b_{t+1}}{R} \leq \kappa_t q_t k_{t+1}.$$

where  $\kappa_t$  represent a stochastic loan-to-value ratio

## Learning Problem (Cogley and Sargent 2008)

- $\kappa_t$  follows a two-state Markov process with values  $\kappa^L, \kappa^H$  and “true” transition matrix: 
$$\begin{bmatrix} F_{hh} & 1 - F_{hh} \\ 1 - F_{ll} & F_{ll} \end{bmatrix}.$$
- Agents learn in a Bayesian fashion about transition matrix by observing realizations of  $\kappa$ 's.
  - Agents have independent beta priors over  $(F_{hh}, F_{ll})$   
→ Posterior are given by:

$$E_t[F_{hh}^s] = \frac{n_t^{hh}}{n_t^{hh} + n_t^{hl}} \quad E_t[F_{ll}^s] = \frac{n_t^{ll}}{n_t^{ll} + n_t^{lh}}$$

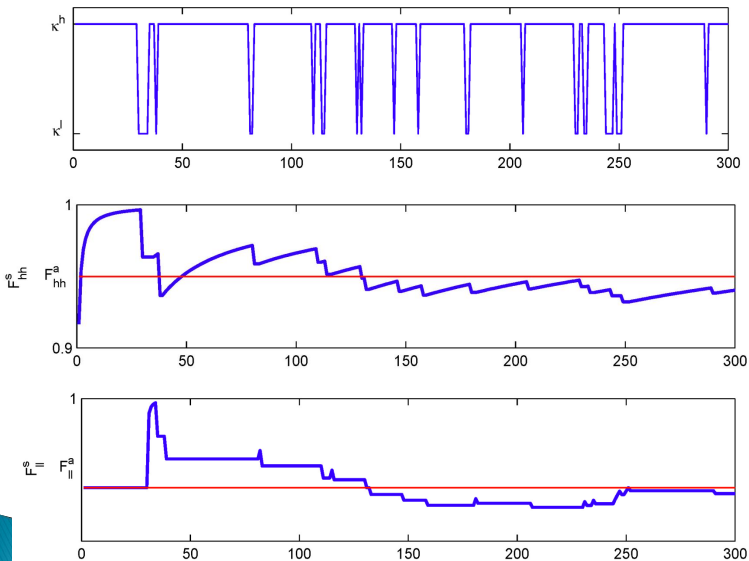
where  $n_t^{ij}$  be the number of transitions from state  $\kappa^i$  to  $\kappa^j$

- Focus on Recursive Anticipated Utility problems (AUOP).

# Key Features of Learning Process

- Converges to true probabilities in the long run
- Beliefs about a regime are updated only when observing that regime
- Initial priors drive speed at which optimism or pessimism build with first realizations

# Example of learning dynamics



$$F_{hh}^a = 0.95$$
$$F_{ll}^a = 0.5$$
$$\text{Beta}(0.1, 0.1)$$

## Asset Pricing Conditions

Land premium:

$$E_t^s[R_{t+1}^q] - R = \frac{\mu_t(1 - \kappa) - Cov_t^s(\beta u'(c_{t+1}), R_{t+1}^q - R)}{\beta E_t^s u'(c_{t+1})}$$

Forward solution for asset prices

$$q_t = E_t^s \sum_{j=0}^{\infty} \frac{\varepsilon_{t+j+1} f'(\bar{K})}{\prod_{i=0}^j E_{t+i} R_{t+1+i}^q}$$

Remark: Asset prices include discounted payoffs + collateral value

and the return on land is by definition:

$$R_{t+1}^q \equiv \frac{\varepsilon_{t+1} f'(\bar{K}) + q_{t+1}}{q_t}$$

## Fisherian Deflation when constraint binds

A tightening of the constraint leads to increase in excess returns

$$E_t^s[R_{t+1}^q] - R = \frac{\mu_t(1 - \kappa) - Cov_t^s(\beta u'(c_{t+1}), R_{t+1}^q - R)}{\beta E_t^s u'(c_{t+1})}$$

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and a fall in asset prices

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and a tightening of the collateral constraint  $b_{t+1} \leq \kappa_t q_t k_{t+1}$



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and a tightening of the collateral constraint  $b_{t+1} \leq \kappa_t q_t k_{t+1}$

which feeds back to asset prices

# Expectations and Fisherian Deflation

**Optimism:** During the credit boom, a lower subjective belief about switching from  $\kappa^H$  to  $\kappa^L$  lowers Covariance Term

$$E_t^s[R_{t+1}^q] - R = \frac{\mu_t(1 - \kappa) - \text{Cov}_t^s(\beta u'(c_{t+1}), R_{t+1}^q - R)}{\beta E_t^s u'(c_{t+1})}$$

**This raises asset prices and relaxes collateral constraints**

# Expectations and Fisherian Deflation

**Pessimism:** During the credit bust, a higher subjective belief about remaining at  $\kappa^L$  increases Covariance Term

$$E_t^s[R_{t+1}^q] - R = \frac{\mu_t(1 - \kappa) - Cov_t^s(\beta u'(c_{t+1}), R_{t+1}^q - R)}{\beta E_t^s u'(c_{t+1})}$$

**This depresses asset prices and tightens collateral constraints**

# Analysis of Macro-prudential Policy

- Feedback between beliefs, asset prices and collateral creates classic Fisherian amplification mechanism operating in the upswing of a credit boom and in the crash.
- Two benchmark planners:
  - Uninformed: shares same beliefs as private agents
  - Informed: knows true transition probabilities
- Planners subject to the same set of feasible credit positions as learning or full info decentralized equilibria (akin to Kehoe-Levine's financial efficiency)

# Constrained Planners' Problems

Planners maximize

$$E_0^i \left[ \sum_{t=0}^{\infty} \beta^t \frac{c_t^{1-\sigma}}{1-\sigma} \right] \quad \text{for } i = SP^U, SP^I$$

subject to

$$c_t + \frac{b_{t+1}}{R_t} = b_t + f(\bar{K})$$

and

$$-\frac{b_{t+1}}{R_t} \leq \kappa_t q_t^i \bar{K}$$

- $SP^U$  :  $E^i = E^s$  and  $q_t^i = q_t^{DEL}$
- $SP^I$  :  $E^i = E$  and  $q_t^i = q_t^{DEF}$

# Euler Equation for Bonds

Decentralized Equilibrium:

$$u'(c_t(b, \varepsilon, \kappa)) - \mu_t(b, \varepsilon, \kappa) = \beta RE_t^i \left[ u'(c_t(b', \varepsilon', \kappa')) \right]$$

# Euler Equation for Bonds

Social Planner:

$$u'(c_t(b, \varepsilon, \kappa)) - \mu_t(b, \varepsilon, \kappa) = \beta RE_t^i \left[ u'(c_t(b', \varepsilon', \kappa')) + \kappa' \mu_t(b', \varepsilon', \kappa') \frac{\partial q_t^i(t+1)}{\partial b'} \right]$$

with expectations formed according to information set assumed to be available

# Euler Equation for Bonds

Social Planner:

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with expectations formed according to information set assumed to be available



# Macro-prudential Tax on Debt

$$\begin{aligned}
 \tau_{b,t}^i &= \underbrace{\frac{E_t^i[u'(t+1)]}{E_t^s[u'(t+1)]}}_{\text{information}} - 1 + \\
 &\quad \underbrace{\frac{E_t^s \left[ \kappa_{t+1} \mu_t(t+1) \frac{\partial q_t^i(t+1)}{\partial b'} \right]}{E_t^s[u'(t+1)]}}_{\text{externality}} + \\
 &\quad \underbrace{\frac{E_t^i \left[ \kappa_{t+1} \mu_t(t+1) \frac{\partial q_t^i(t+1)}{\partial b'} \right] - E_t^s \left[ \kappa_{t+1} \mu_t(t+1) \frac{\partial q_t^i(t+1)}{\partial b'} \right]}{E_t^s[u'(t+1)]}}_{\text{interaction}}
 \end{aligned}$$

# Financial Innovation Experiment

- Pre-financial innovation: Before 1997, regime with constant  $\kappa^l$  but stochastic TFP
- Financial Innovation: 1997Q1, introduction of regime with two possible values of  $\kappa$  and first realization of  $\kappa^h$ 
  - First publicly available securitization of CRA loans.
  - Net credit assets-GDP ratio started to fall in 1997.
- Financial crisis: 2007Q1, first realization of  $\kappa^l$ . Early stages of the subprime mortgage crisis in Fall 2006.
- Learning period of  $T = 48$  quarters, first 40 with  $\kappa^h$  and remaining 8 with  $\kappa^l$ .

## Calibration

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$\beta$	Discount factor (annualized)	0.91
$\sigma$	Risk aversion coefficient	2.0
$c$	Consumption GDP ratio	0.673
$A$	Lump-sum absorption	0.321
$r$	Interest rate (annualized)	2.660
$\rho$	Persistence of endowment shocks	0.869
$\sigma_e$	Standard deviation of TFP shocks	0.008
$\alpha$	Factor share of land in production	0.025
$l$	Supply of land	1.0
$\kappa^h$	Value of $\kappa$ in the high securitization regime	0.926
$\kappa^l$	Value of $\kappa$ in the low securitization regime	0.642

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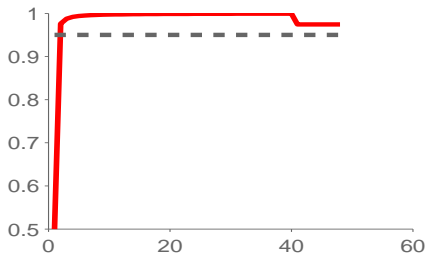
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## Initial Priors and True Probabilities in Baseline

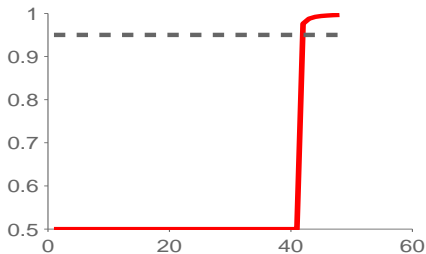
		Value
$F_{hh}^a$	True persistence of $\kappa^h$	0.964
$F_{ll}^a$	True persistence of $\kappa^l$	0.964
$n_0^{hh}$	Counter, high-to-high	0.0205
$n_0^{hl}$	Counter, high-to-low	0.0205
$n_0^{lh}$	Counter, low-to-high	0.0205
$n_0^{ll}$	Counter, low-to-low	0.0205

## Evolution of Posteriors in Baseline 1

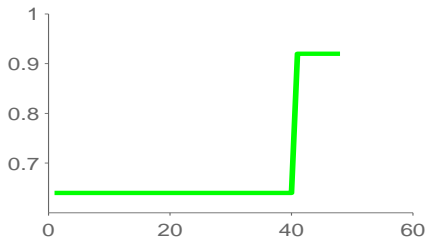
Posteriors  $\kappa^h (F_{hh})$



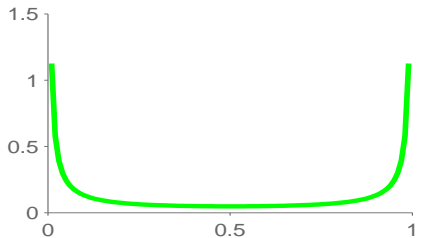
Posteriors  $\kappa^l (F_{ll})$



Realization of LTV ratios ( $\kappa_t$ )



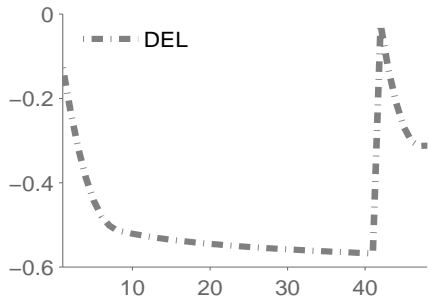
Distribution of Initial Priors



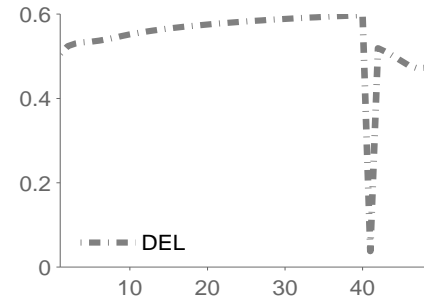
## Findings in Baseline 1

- **Decentralized equilibrium** experiences boom in asset prices and surge in borrowing. Large optimism leads to credit constraint to become binding at early states of liberalization  $\Rightarrow$  High Shadow Value from relaxing the constraint
- **Uninformed Planner** ( $SP^U$ ) does not alter significantly macro time-series: Optimism builds quickly and collateral constraint becomes binding at early stages.
- **Informed Planner** ( $SP^I$ ) takes significantly less debt and moderates increase in asset prices relative to decentralized equilibrium.

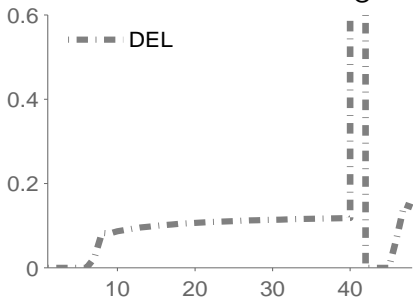
### Bonds



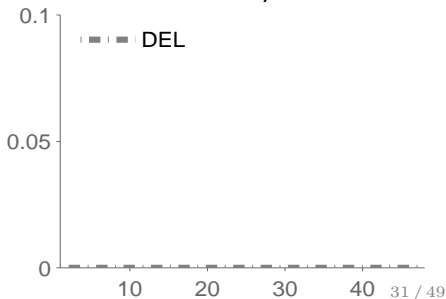
### Land Price



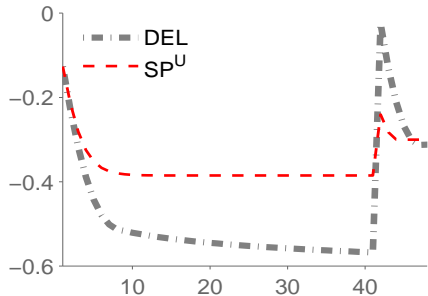
### Shadow Value Relaxing CC



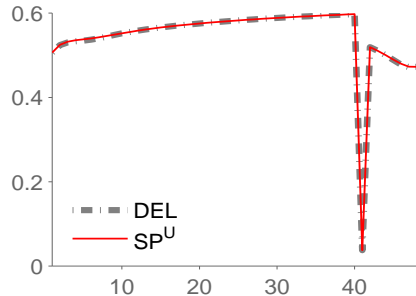
### Externality Term



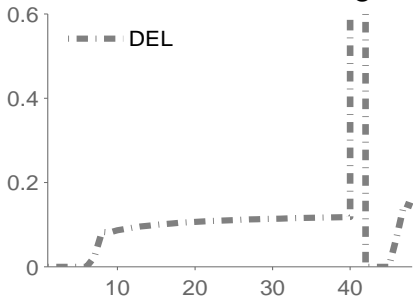
### Bonds



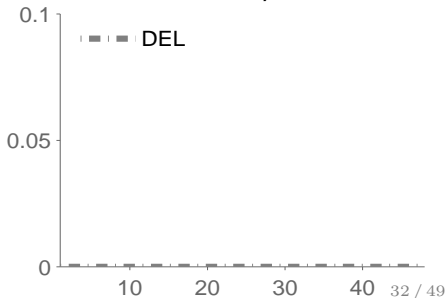
### Land Price



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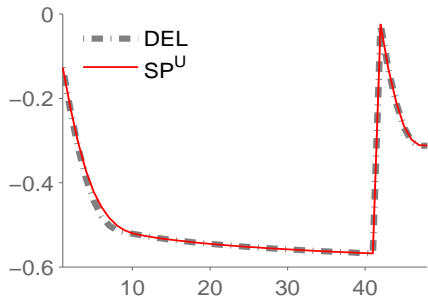


### Externality Term

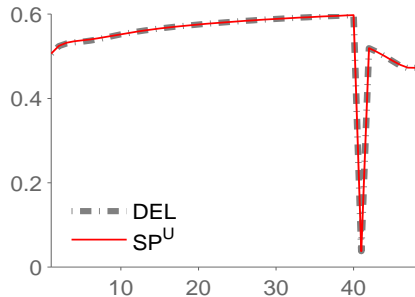




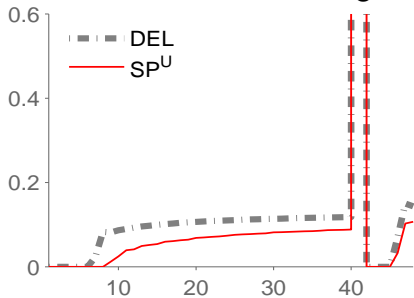
### Bonds



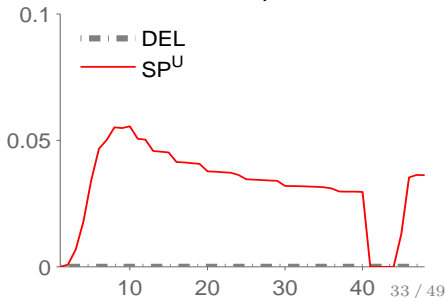
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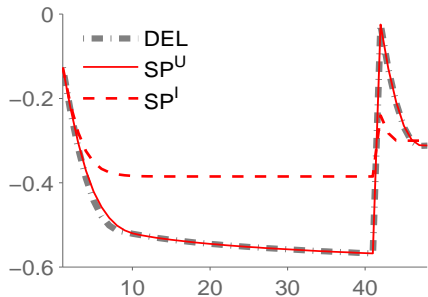
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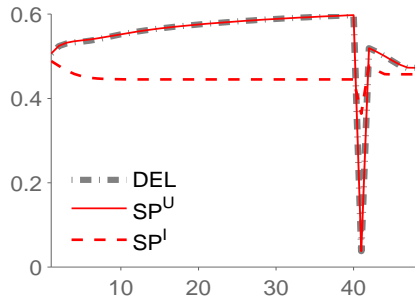
### Externality Term



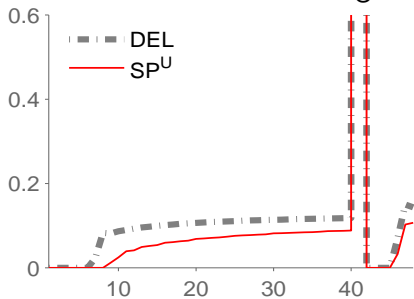
### Bonds



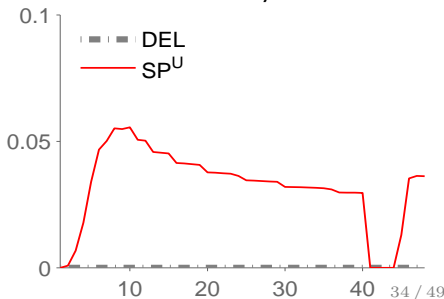
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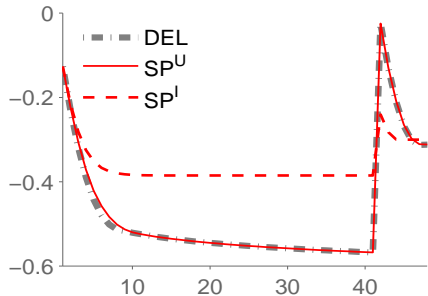
### Shadow Value Relaxing CC



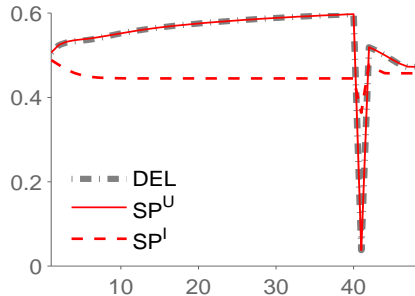
### Externality Term



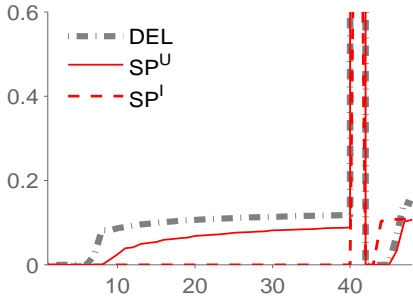
### Bonds



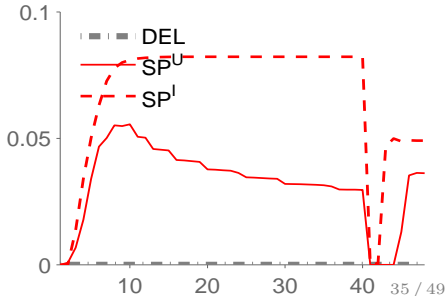
### Land Price



### Shadow Value Relaxing CC

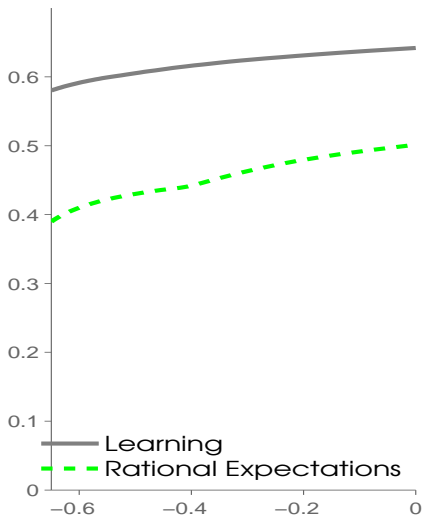


### Externality Term

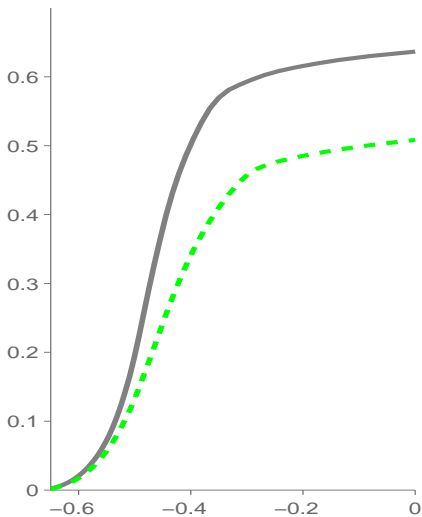


# Asset Prices at Peak of Optimism

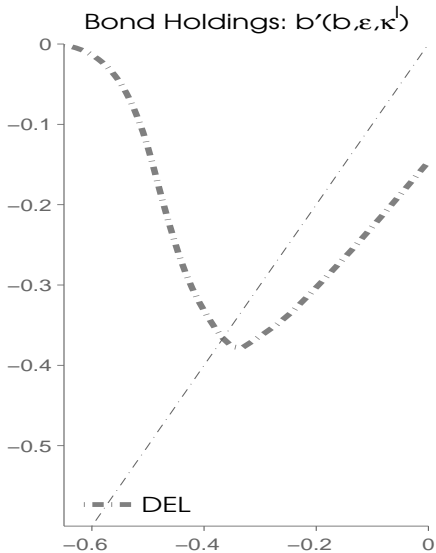
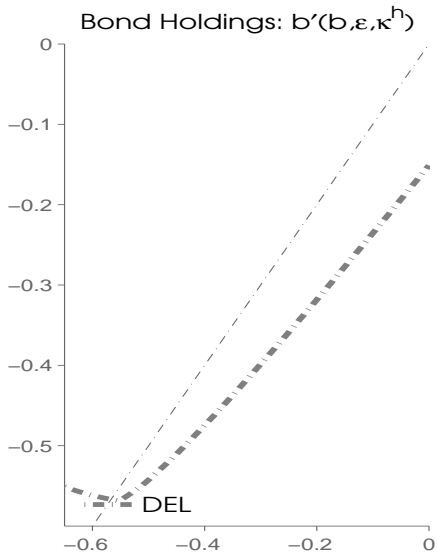
Asset Prices:  $q(b, \varepsilon, \kappa^h)$



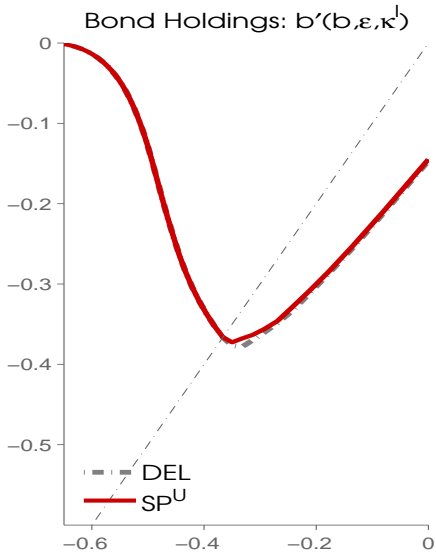
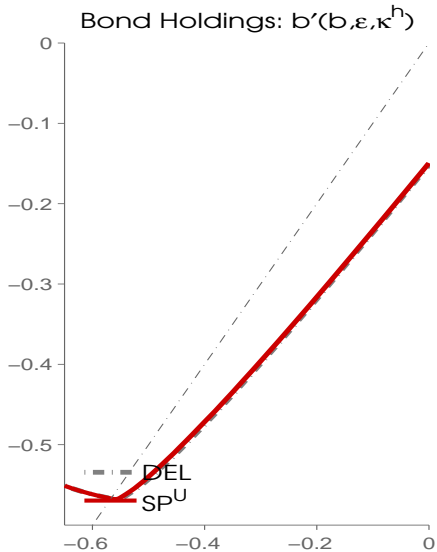
Asset Prices:  $q(b, \varepsilon, \kappa^l)$



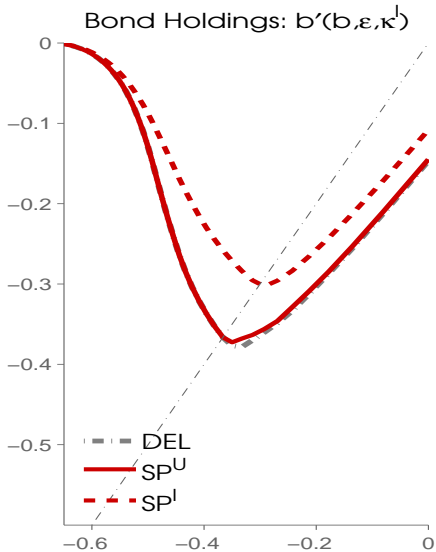
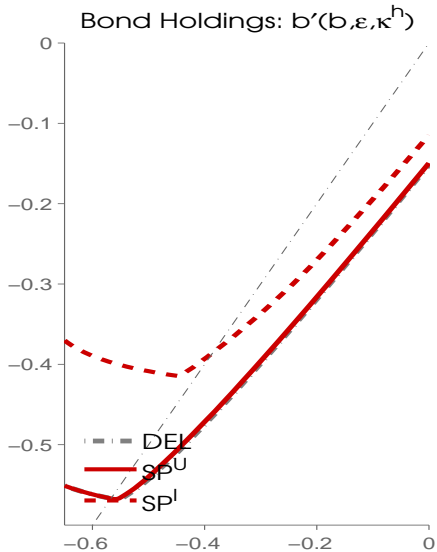
# Bond Holdings at Peak of Optimism



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# Bond Holdings at Peak of Optimism



## Welfare Gains

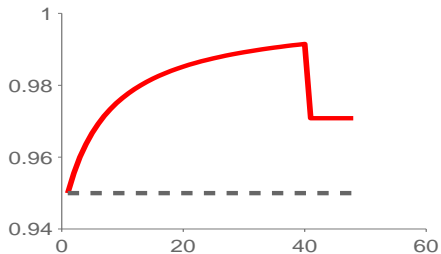
	Average		$(b_t^{DEL}, \kappa_t, \varepsilon_t)$	
	$t = 1$	$t = 40$	$t = 1$	$t = 40$
<hr/> True probabilities <hr/>				
(1) SP2 versus DEF	0.052	0.05	0.06	0.07
(2) SP2 versus DEL	0.37	7.4	0.30	7.39
(3) SP1 versus DEL	0.17	0.03	0.17	0.03
<hr/> Subjective beliefs <hr/>				
(4) SP1 versus DEL	0.025	0.0	0.025	0.0
(5) DEL versus SP2	-0.39	-2.7	-0.27	-2.73



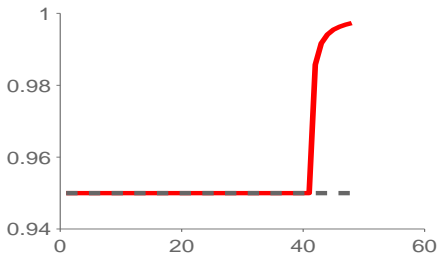
## Sensitivity Analysis: Gradual Optimism Scenario

## Evolution of Posteriors in Gradual Optimism

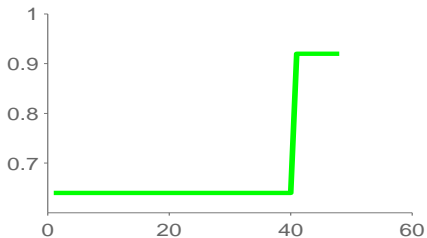
$E_t(F_{hh})$



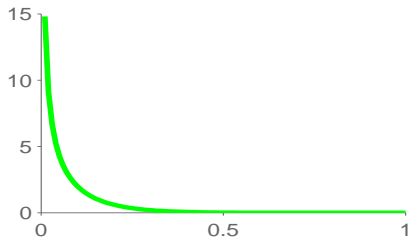
$E_t(F_{ll})$



Realization of LTV ratios ( $\kappa_t$ )

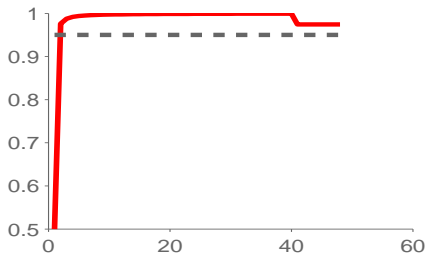


Distribution of Initial Priors

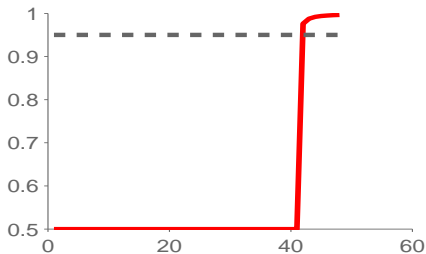


## Evolution of Posteriors in Baseline

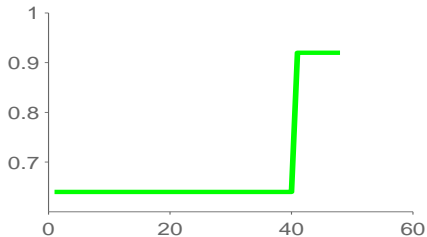
Posteriors  $\kappa^h (F_{hh})$



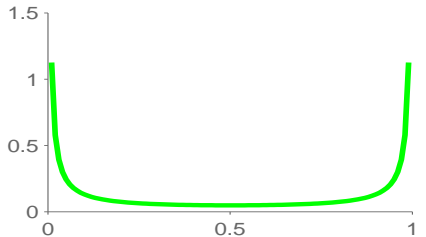
Posteriors  $\kappa^l (F_{ll})$



Realization of LTV ratios ( $\kappa_t$ )



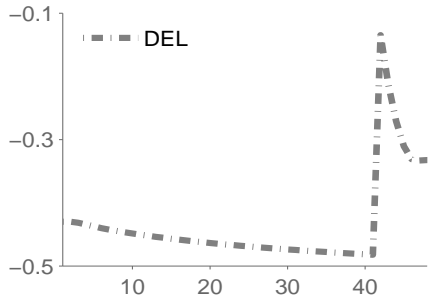
Distribution of Initial Priors



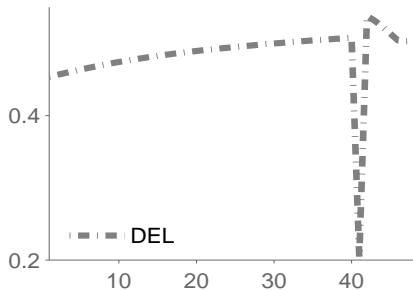
## Findings in Gradual Optimism Scenario

- Now, **uninformed planner** reduces debt levels up to 4 percentage points of GDP and reduces fall in asset prices by 17%
- Similar findings for decentralized equilibrium and informed planner

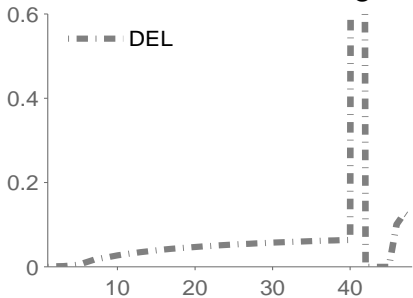
### Bonds



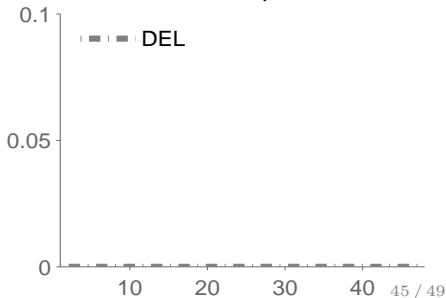
### Land Price



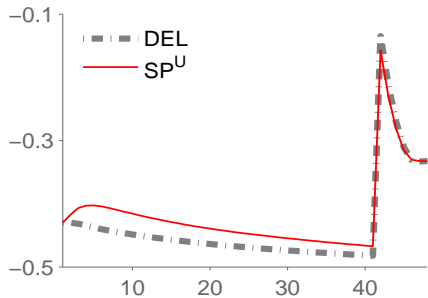
### Shadow Value Relaxing CC



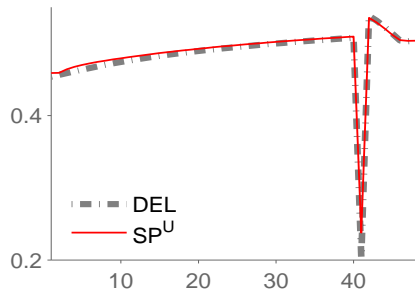
### Externality Term



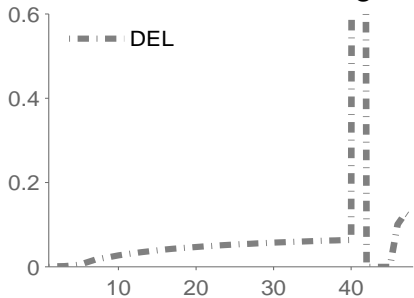
Bonds



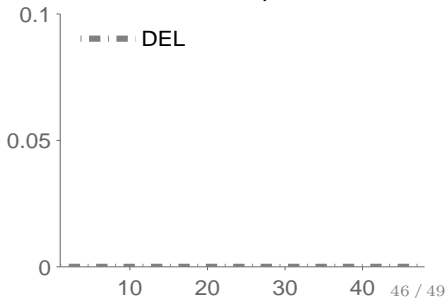
Land Price



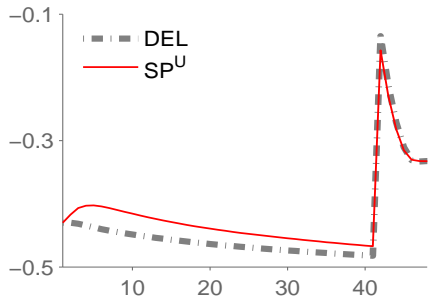
Shadow Value Relaxing CC



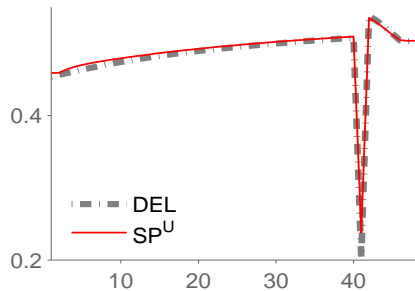
Externality Term



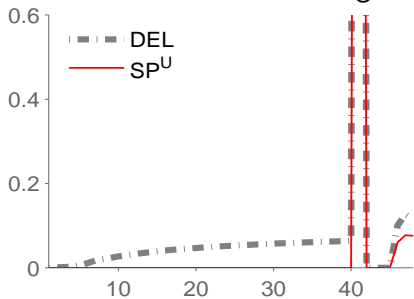
Bonds



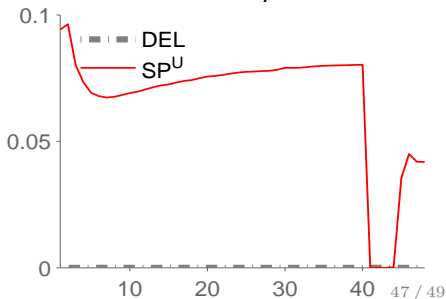
Land Price



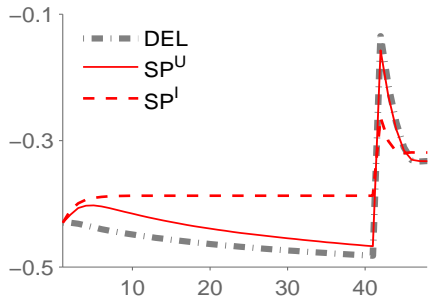
Shadow Value Relaxing CC



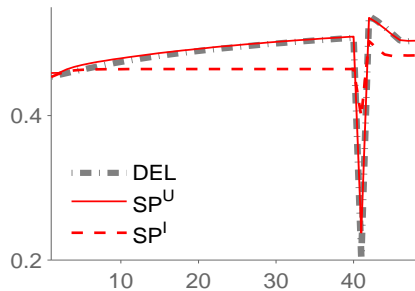
Externality Term



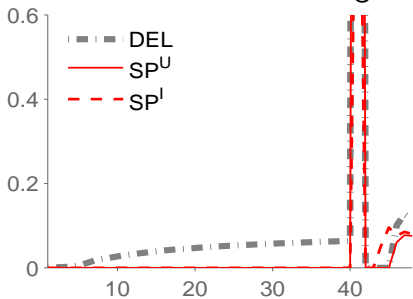
Bonds



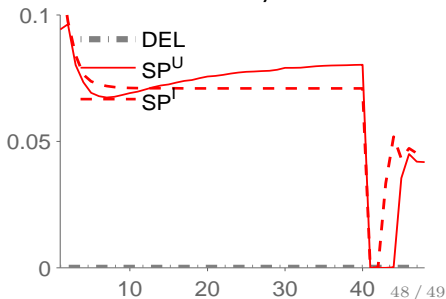
Land Price



Shadow Value Relaxing CC



Externality Term





## Conclusion

- Analyze role of macro-prudential policy in a Neo-Fisherian model with credit cycles driven by interaction of credit frictions & beliefs about riskiness of new financial regime
- Financial innovation and beliefs about the stability of new financial regimes play important role in the design of macroprudential policy
- Incorporating uncertainty about financial environment and heterogeneity in beliefs is only one of many challenges ahead